

Parafoil

(1982/3) Making a parafoil is generally not so difficult, but a precise work. To be important:

1. the profile of the kite
2. place, size and number of keels
3. toming the kite

Before we arrive at the construction of the profile, we will first have to decide how much we want to make the kite. Now it is not so important for a parafoil which dimensions we choose. The kite can be wider than deep or just the other way deeper than broad, or just square. The builder can design this entirely to his own taste. It is advisable not to exceed a ratio of 1: 1.5 for the width and depth ratios. Let's choose as an example for a kite of 1.5 xl, 5 mtr. so 2.25 m².

Constructing the profile

The profile of a parafoil is nothing other than the Clarck-y profile. The coordinates are shown in the table below. We divide the numbers listed in table 1 by 100 and multiply this by the depth of the kite.

Table 1

X axis	upwards	down
0	3.5	3.5
1.25	5.45	1.93
2.5	6.5	1.47
5	7.9	0.93
7.5	8.85	0.63
10	9.6	0.42
20	11.36	0.03
30	11.7	0
40	11.4	0
50	10.52	0
60	9.15	0
70	7.35	0
80	5.22	0
90	2.8	0
100	0	0

We have chosen a depth of 1.5 meters. so the center line or X-axis is 1.5 meters. long. For the expansion it is easy to work in mm, I myself use mm paper, which is for sale in the bookshop. From zero, we will now first expand the distribution of the X-axis (see text.1). The first data from the table after 0 is 1.25. This we now divide by 100 and then multiply it by the total length of the center line.

$$(1.25 / 100) \times 1500 = 18.75 \text{ mm}$$

Now we put this on the center line, measured from 0. And so we continue with 2,5, 5 etc. until we have reached 100. We have to make sure that the Xas at the Clarek-y profile is the bottom of the profile. This means that the data must be plotted from both upwards and downwards, above the X axis. So we set as 0 on the X-axis:

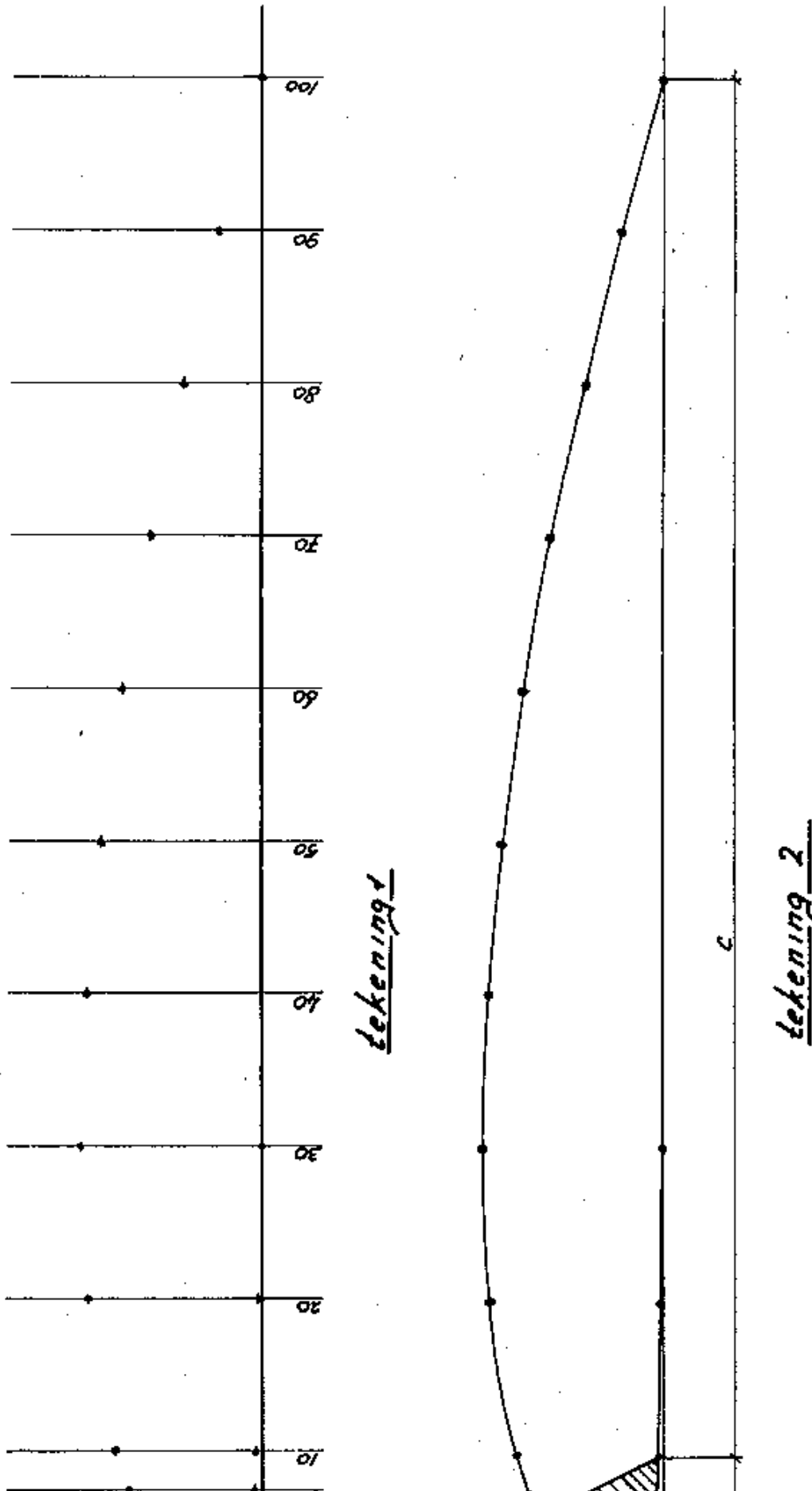
$$(3.5 / 100) \times 1500 = 52.5 \text{ mm}$$

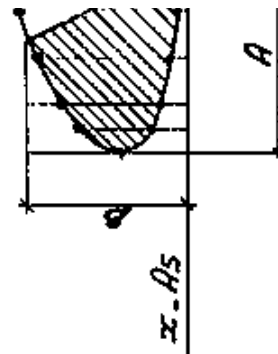
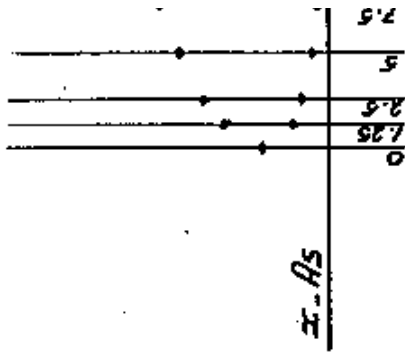
This is one and the same point for both upwards and downwards. At 1.25 we set up

$$(5.45 / 100) \times 1500 = 81.75 \text{ mm,}$$

$$\text{and for down } (1.93 / 100) \times 1500 = 28.95 \text{ mm.}$$

The same applies to the other points on the X-axis. We connect the points thus found and constructed the profile. The air inlet (tek.2) is the only thing that we still have to apply. Size 10% and size B 7.5% of the total depth resp. 150 mm and 112.5 mm, the remaining nose (shaded part) does not participate. The remaining base of 1350 mm size C is now the new datum that we assume with our further calculations.





Position, dimensions and number of keels

The number of keels of a parafoil is also determined by the width and depth of the kite. We start with the depth. Divide the original depth (measure in mm) by 500 For results between

- > 0.0 and <2.1 2 keels
- > 2.1 and <3.1 3 keels
- > 3.1 and <4.1 4 keels
- > 4.1 and <5.1 5 keels

In our case, the original depth gauge is 1500 mm. So we divide this by 500, the result is then 3. This number is smaller than 3.1 but larger than 2.1, so the number of keels in depth is 3 pieces.

We start with keel 1 (text 3).

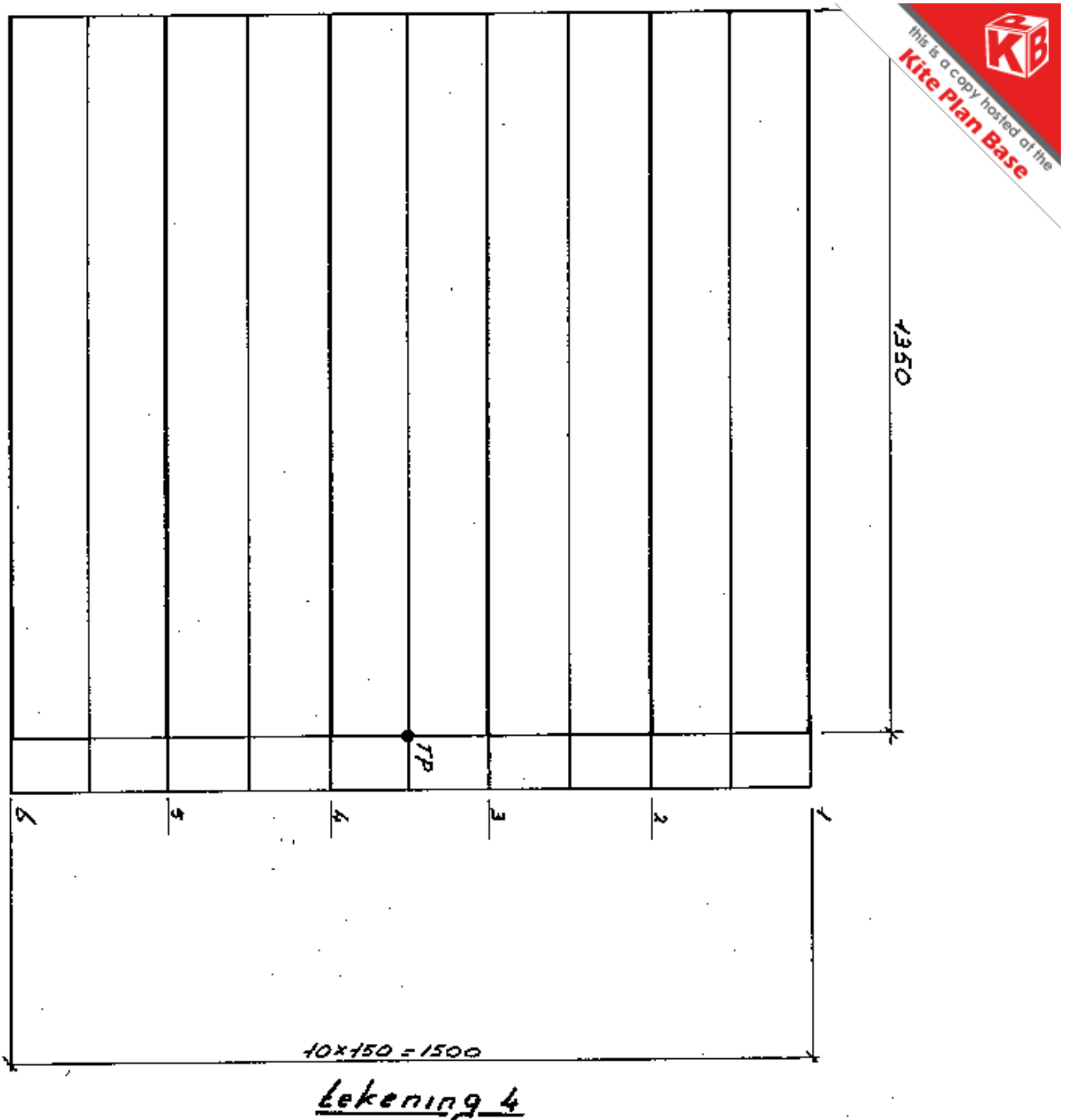
Size D = 15% of 1350 mm (dimension C) = 202.5 mm

Size E = 8% of 1350 mm = 108 mm

If we stake out these measures we find point P1.

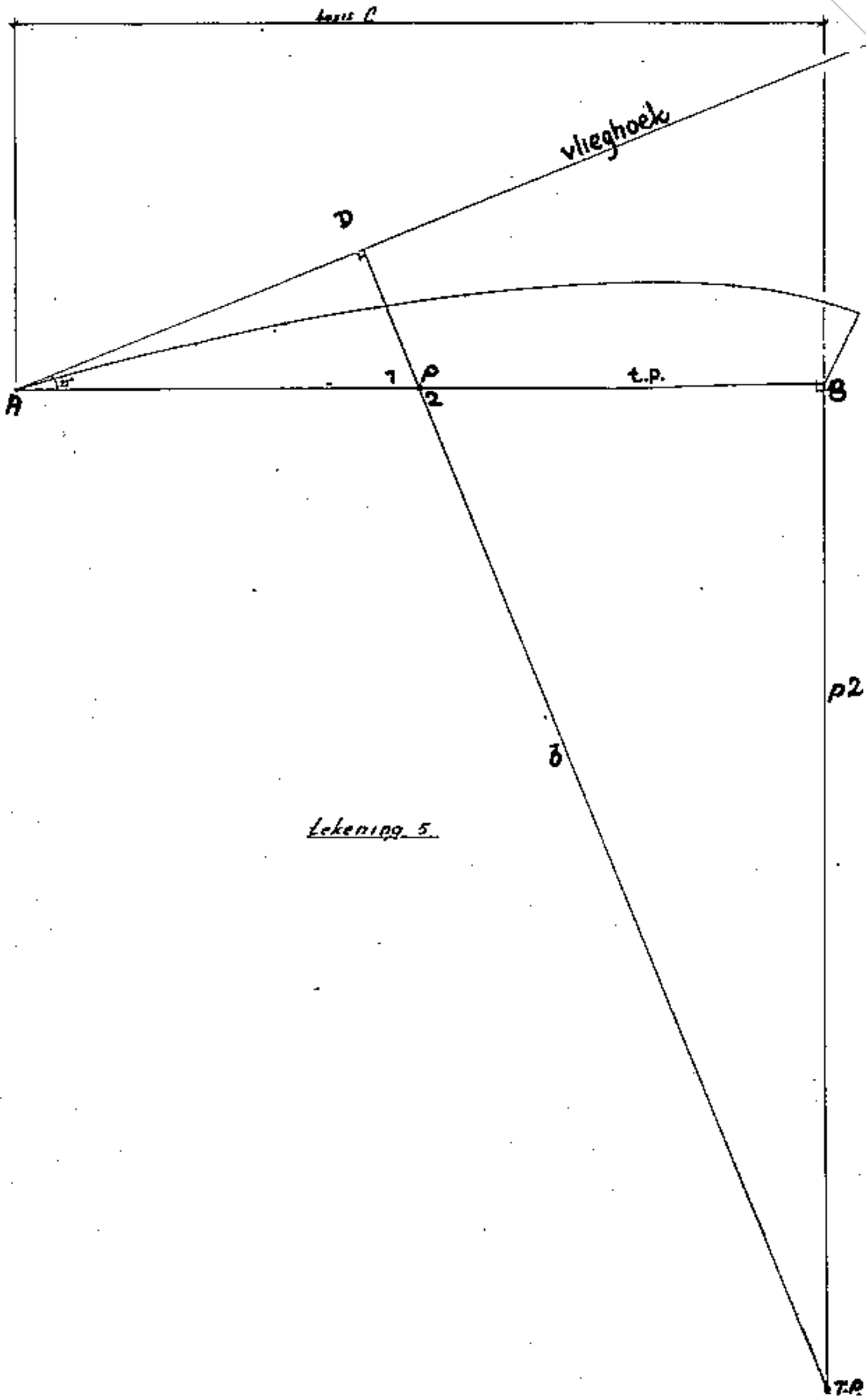
Size K = 25% of 1350 mm = 337.5 mm

Size F = 40% of 1350 mm = 540 mm

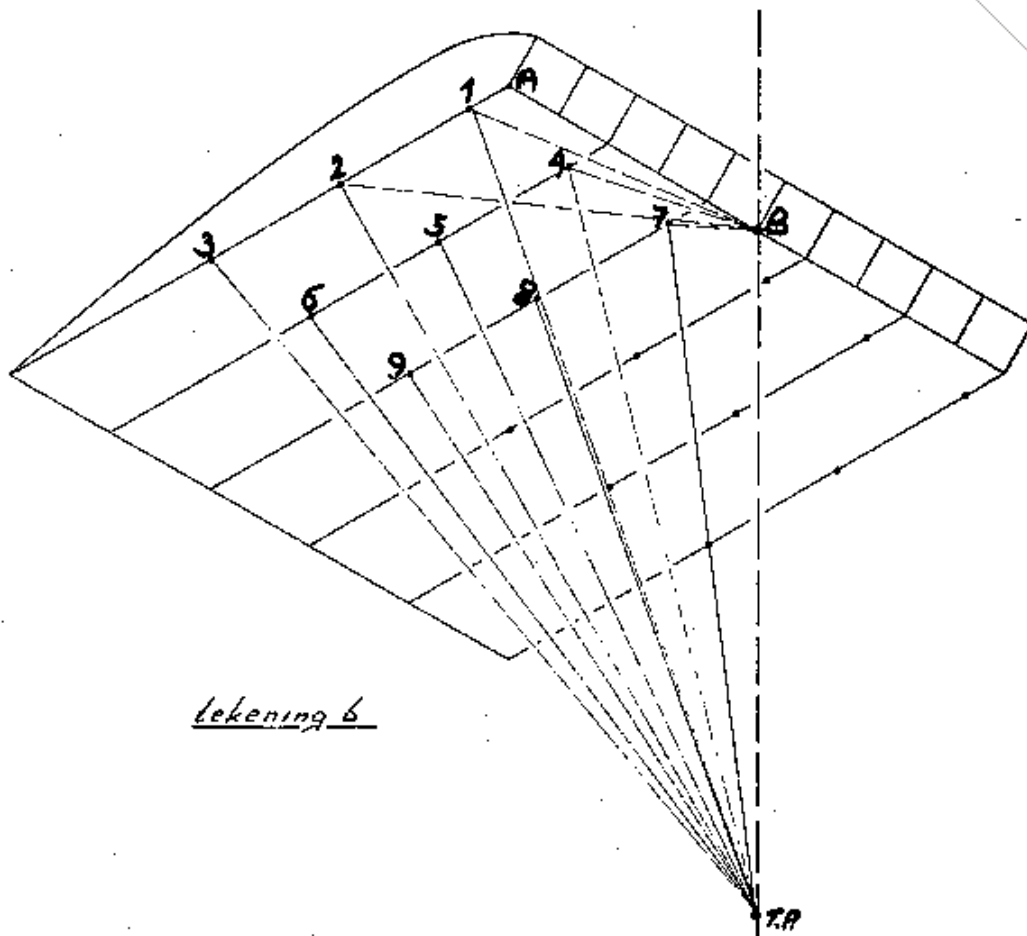


Toming of the kite

To determine the toming, we will have to use trigonometry and pythagoras. The tapping point is located above the front and the lower deck (text.4). We can calculate the distance between the toe point and the lower deck. Most pilots have a flight angle to the earth varying between 15° and 30° .



Lekening 5



In practice, I found that 22° is an excellent flight angle for a parafoil. Let's take a look at drawing 5. We share base C in point P, we get two equal pieces. From point A we draw the fly angle line at an angle of 22° . Perpendicular to this line we draw a line 'b' through point P. From B we draw a line segment P2 perpendicular to the base C. Line part b and P2 now intersect in point TP. Line part P2 we have to calculate now.

Base C = 1350 mm.

Angle A = 22°

Angle B = 90°

Angle D = 90°

Angle P1 = angle P2

line segment tp = 675 mm

Angle TP = $180^\circ - (90 + 68) = 22^\circ$

$$P2 = (tp / (\sin.\text{angle } tp)) = (P2 / (\sin.\text{angle } P2)) = (675 / 0.374) = (P2 / 0.927) = 1673\text{mm}$$

In tek. 6 we assume that the bridle ropes start from the bottom of the kite. Later we also simply deduct the height of the keels from the calculated rope length.

In practice, I have found that this way of working works well and it saves us a lot of calculation work. We start with toom 1:

First we calculate the line IB of triangle 1-AB. Then we calculate the line l-TP from triangle 1-b-TP.

Line segment AB is calculated 750 mm.

Line segment IA is calculated 108 mm (see calculated keels).

Line segment IB = the root out $((108)^2 + (750)^2) = 757.74$ mm Line segment

B-TP is calculated 1673 mm.

Line segment IB is calculated 757.7 mm.

Line segment l-TP = the root out $((1673)^2 + (757.74)^2) = 1836.6$ mm.

From the number calculated here we deduct the height from the relevant keel. In this case Kiel I size D 202.5 mm (see text 3) $1836.6 - 202.5 = 1634, 1$ mm. We can finish this at 1635 mm. We mention this size in table 2 which we compile ourselves.

Table 2

toom	length of rope
1	1635
2	1620
3	
4	
5	
6	
7	
8	
9	



We continue to calculate the line segments 2-B and 2-TP
 AB = 750 mm and 2-A = 459 mm

$$2-B = \text{the root out } ((459)^2 + (750)^2) = 879.3 \text{ mm}$$

$$2-TP = \text{the root out } ((879.3)^2 + (1673)^2) = 1889.9 \text{ mm}$$

height Kiel II size L = 1889.9 - 270 1619.9 rounded 1620 mm.

So we continue with treble 3,4 etc. up to and including round 9.

Note that we have now only calculated half. The other side is the mirror image. In this way I have calculated the parafoils and other kites with compound steams.

If we design the parafoil according to the calculations mentioned in this story and do it exactly, it will certainly lead to success.